

Webinar:

# **MMC- Technologies**

Presenters: Juan Carlos Garcia and Farid Mosallat

February 26 - 2015

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- Modular multi-level converters
- 2. dq decoupled vector current control
- 3. Half and H-bridge converters
- 4. Detailed equivalent models of MMC valves
- 5. Simulation of a two-terminal system
- Simulation of a dc-fault and re-start process (half- and H-bridge MMCs)
- 7. Setup of a three-terminal system (on-line demonstration if time allows)
- 8. Questions

# If you have questions during the Webinar

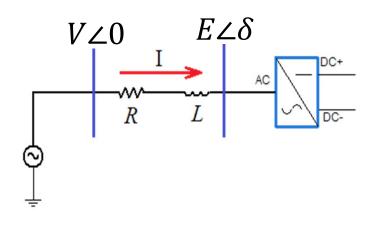


Please e-mail PSCAD Support at

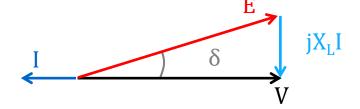
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# Grid-connected VSC: Operation principle





Supplying P:



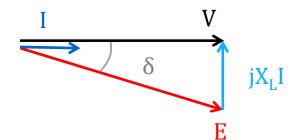
Neglecting R:

$$I = \frac{V \angle 0 - E \angle \delta}{jX_L}$$

$$S = VI^* \Rightarrow$$

$$\begin{cases} P = -\frac{EV}{X_L} \sin(\delta) \\ Q = \frac{V^2 - EV \cos(\delta)}{X_L} \end{cases}$$

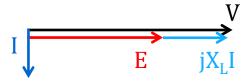
Absorbing P:



Supplying Q:



Absorbing Q:



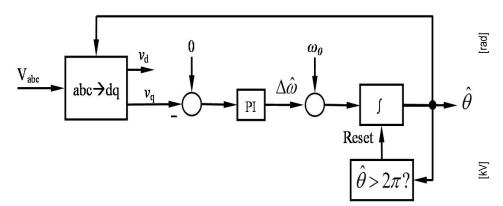
# Phase Locked Loop (PLL)

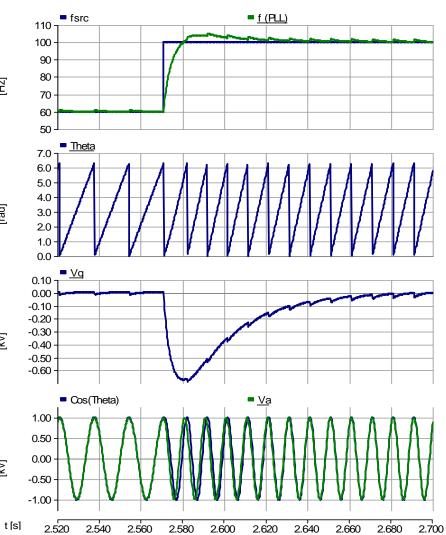
[Hz]

 $\overline{\mathbb{R}}$ 



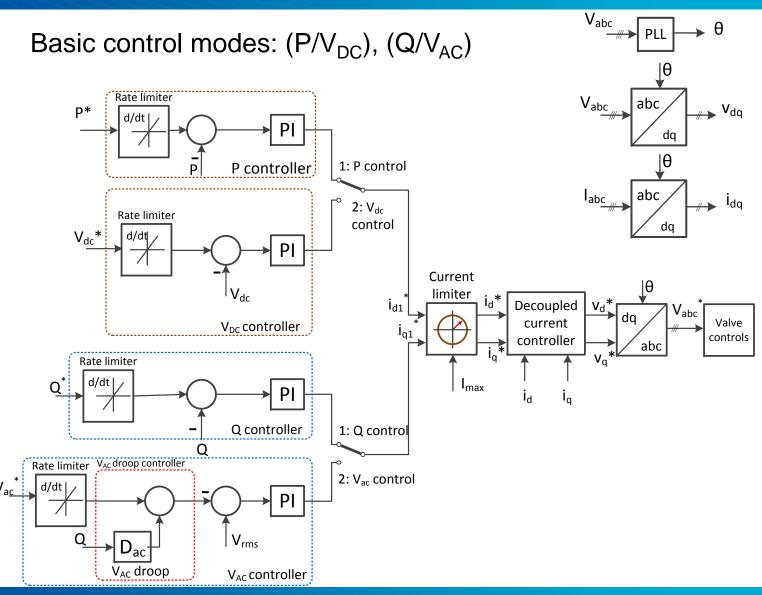
Extracting the phase angle of phase-A voltage





# **Control modes for grid-connected operation**

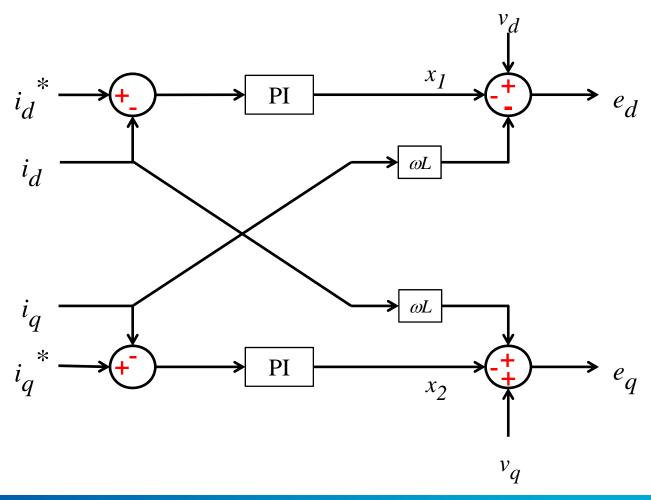




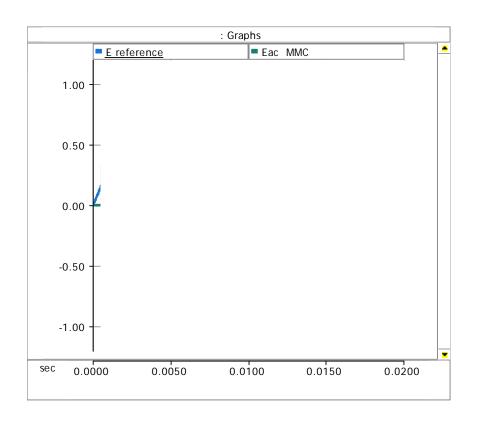
# Decoupled current control strategy

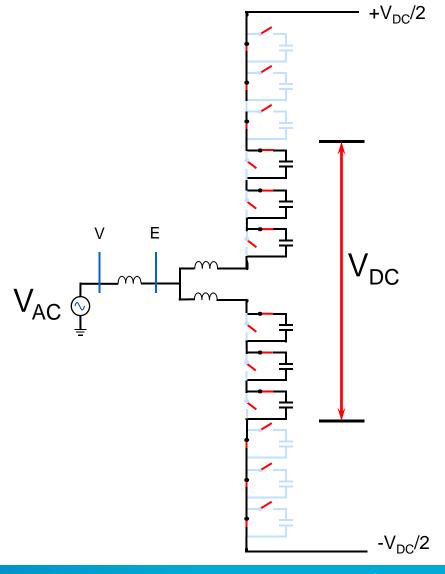


Current vector control with PLL locking to phase A voltage (cosine function)

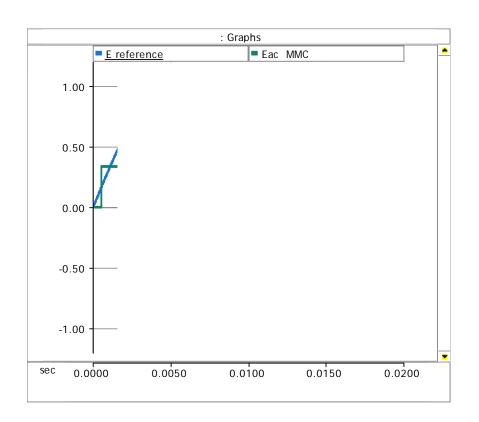


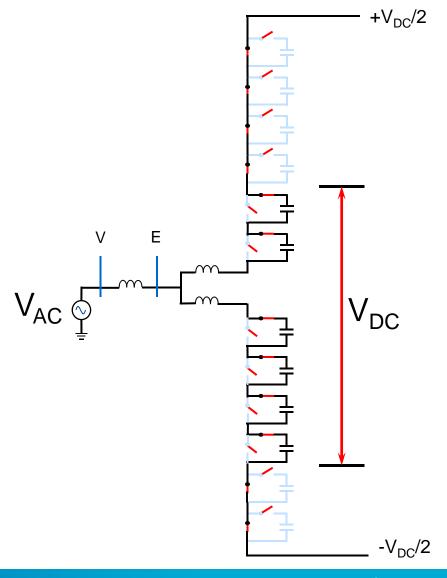




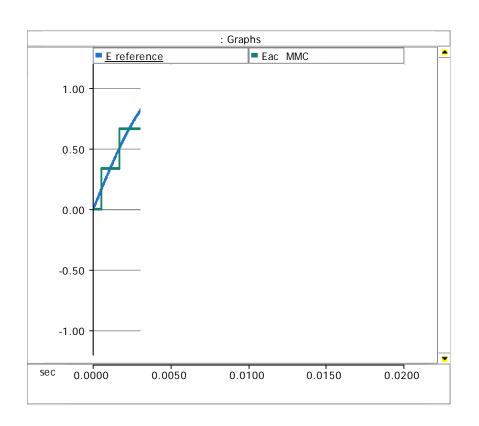


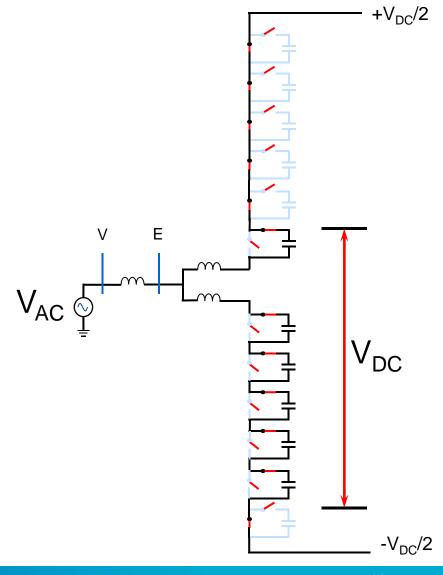




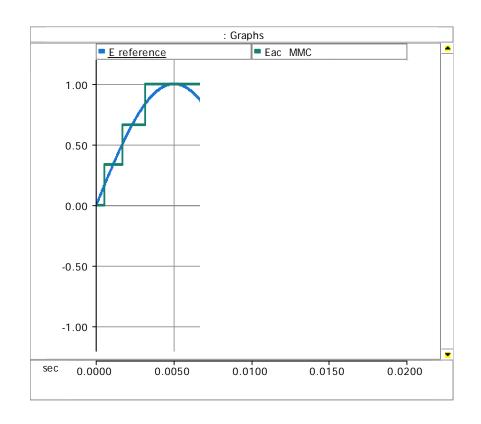


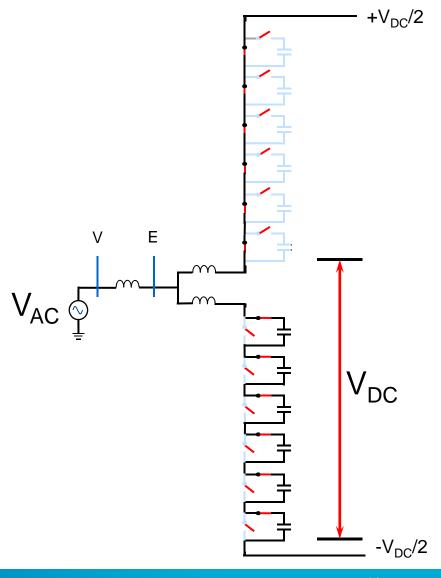




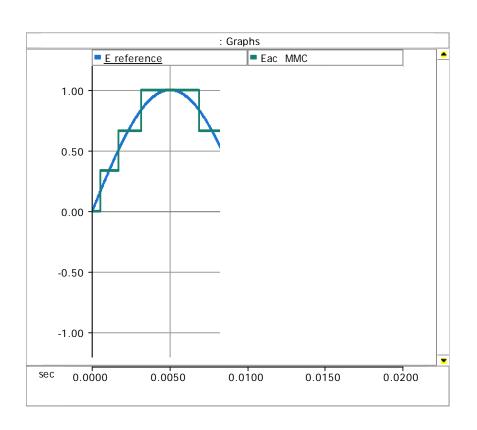


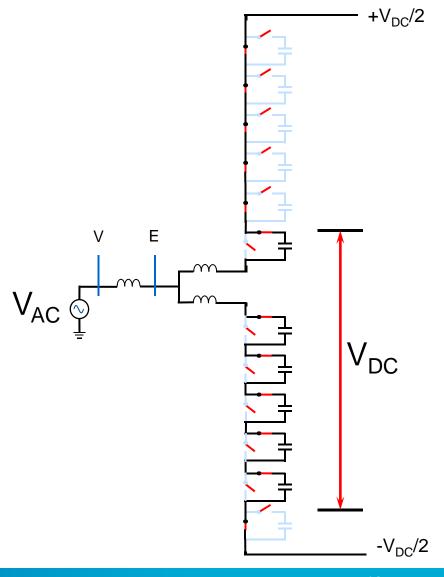




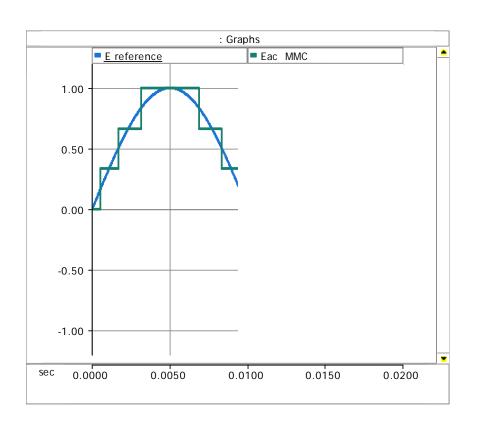


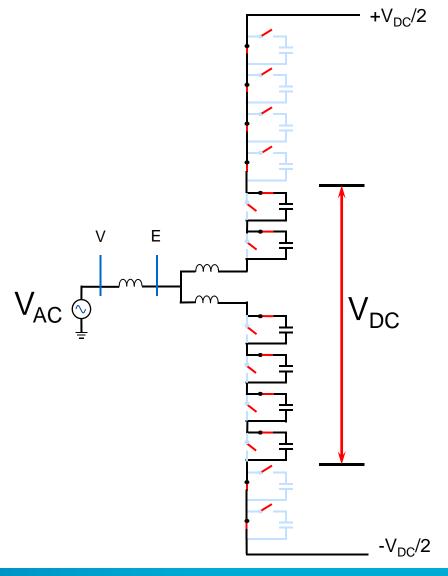




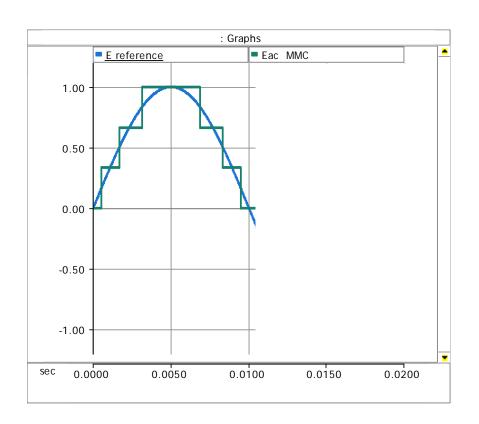


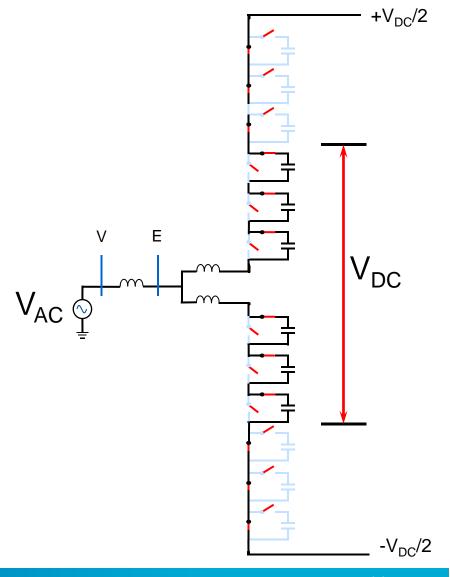




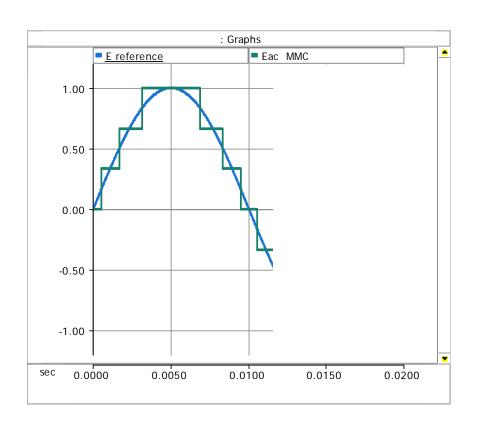


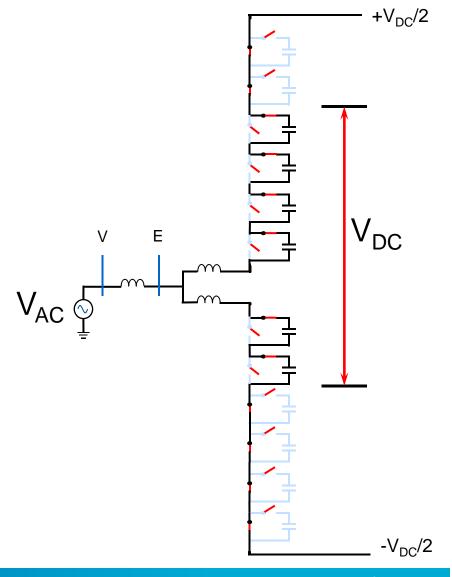




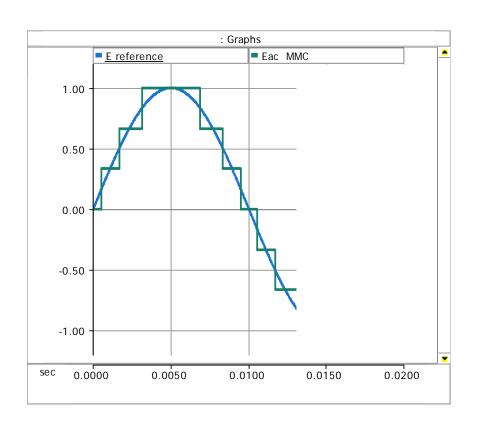


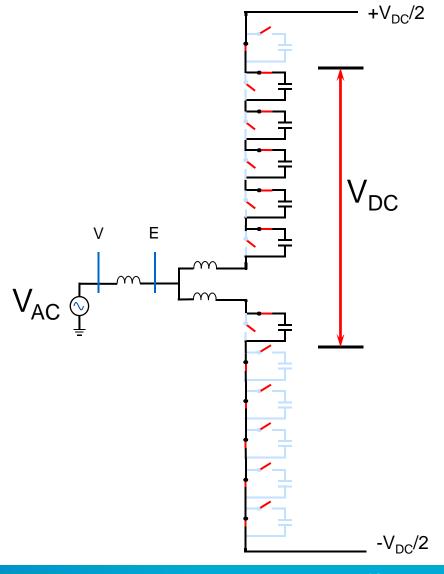




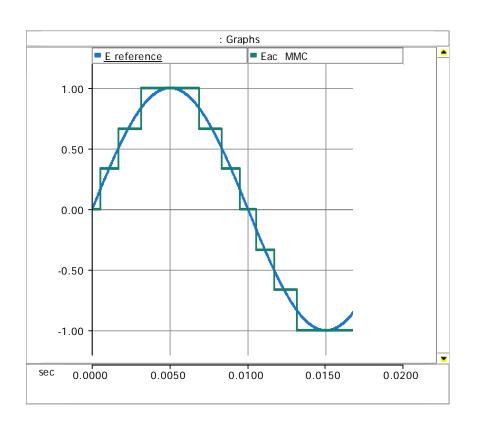


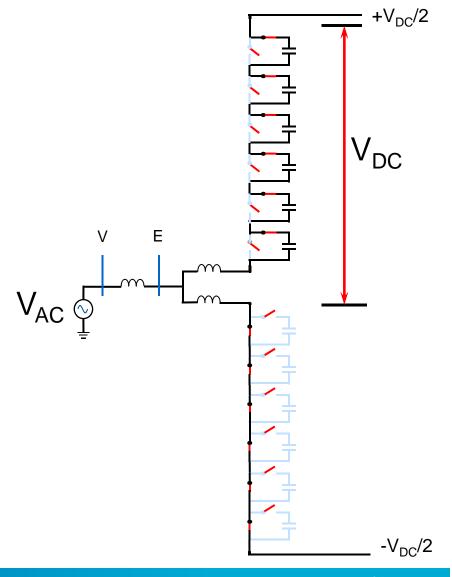




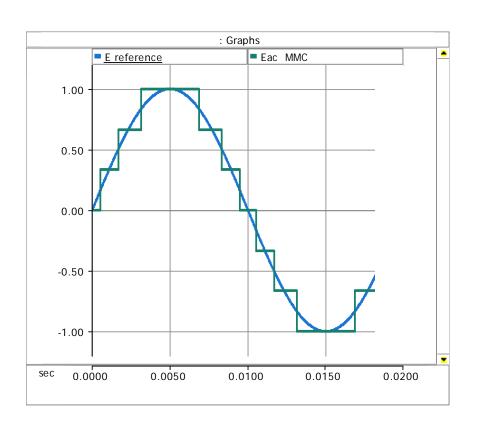


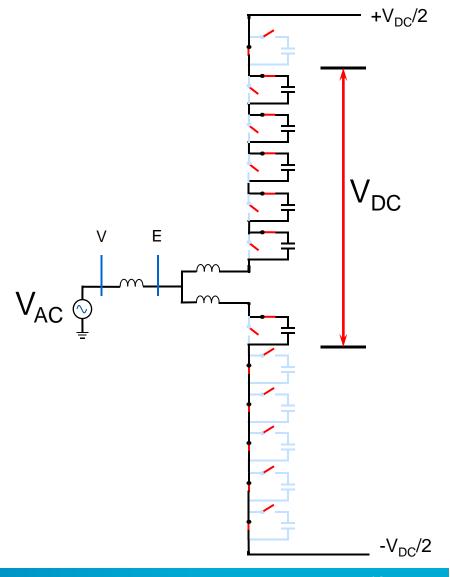




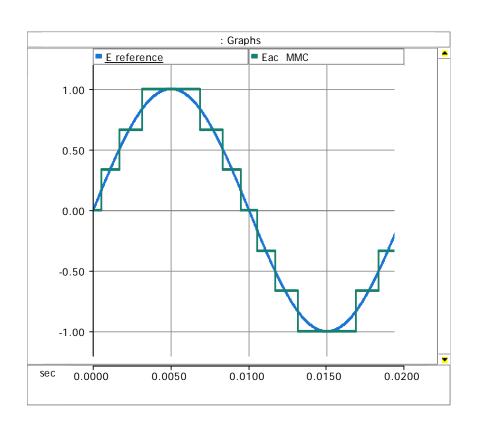


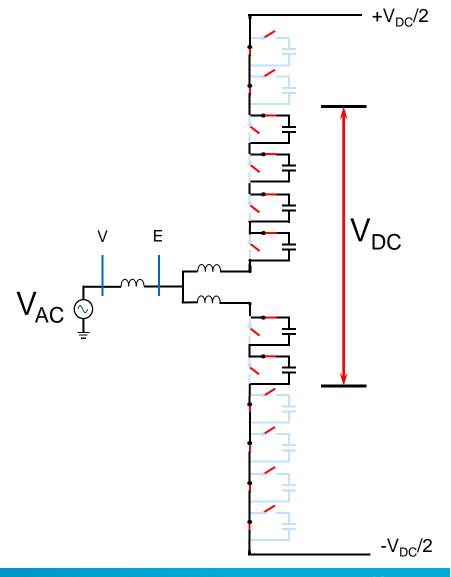




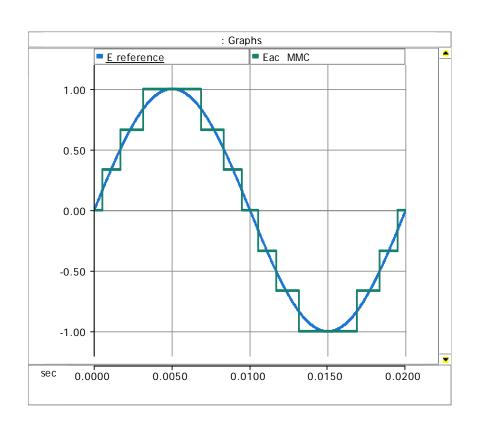


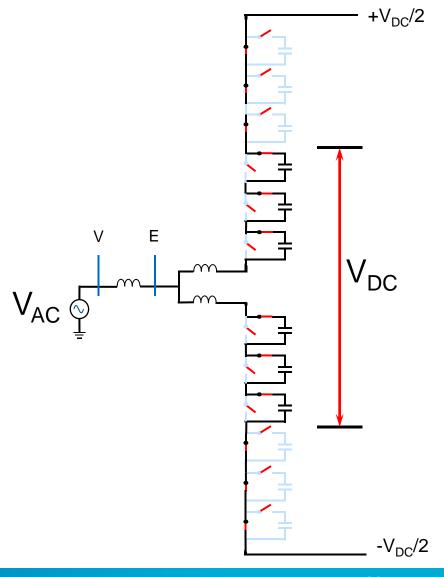










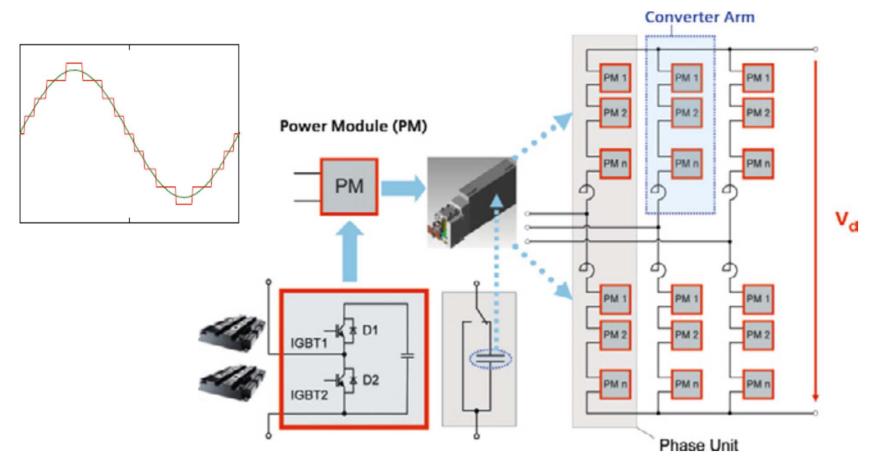


# **Types of MMC**



Half-Bridge MMC 2009

#### Siemens diagram



Note: Filters not required

## **VSC Valves: MMC**



#### Half-Bridge – Cascaded 2-level converter

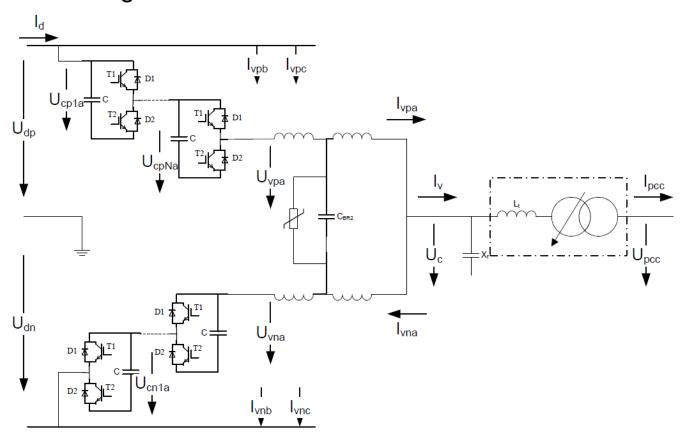
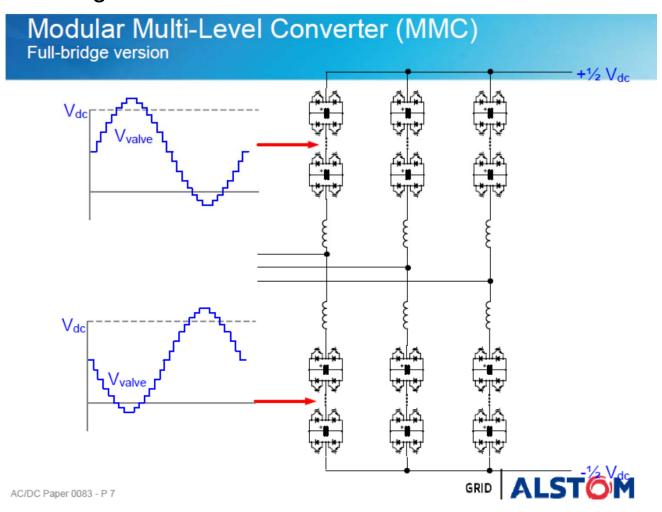


ABB diagram

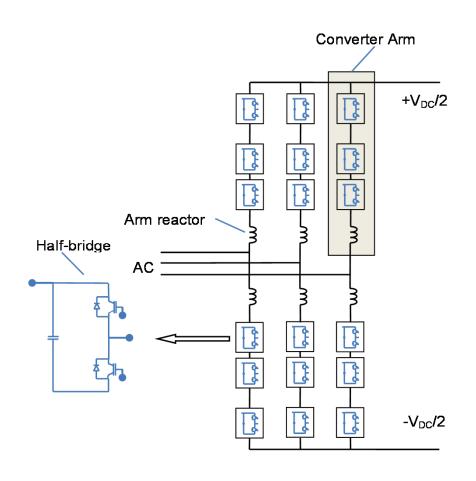
## **VSC Valves: MMC**

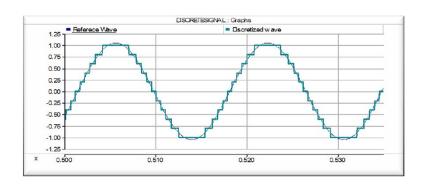


#### Full- or H-bridge cells





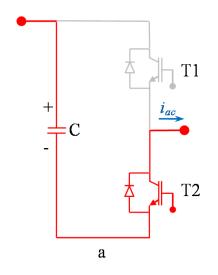


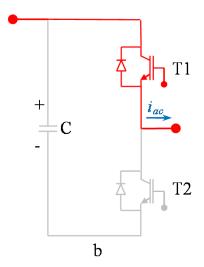




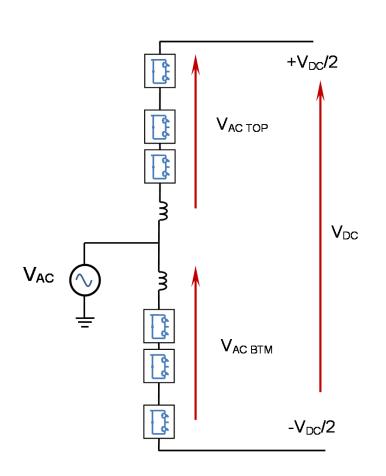
#### Three operating states in the half-bridge cell

State description	Gates
Insert +Vc	(T2)
Bypass capacitor	(T1)
Blocked	None
Forbidden	(T1,T2)



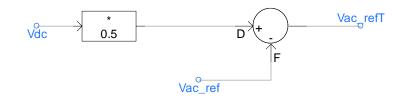


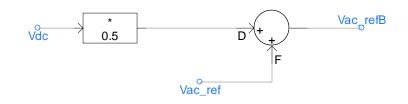




$$V_{AC\ TOP} = \frac{V_{DC}}{2} - V_{AC}$$

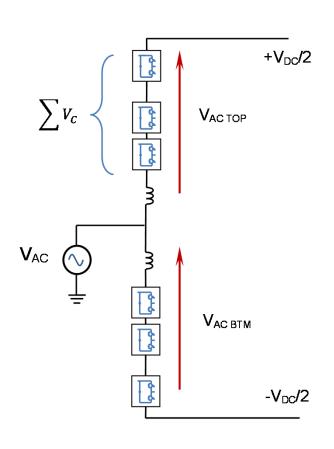
$$V_{AC\ BTM} = \frac{V_{DC}}{2} + V_{AC}$$





Note: Half-bridge CAN NOT generate  $V_{DC} = 0$ 





#### Assuming modulating index = 1

$$V_{AC\ PEAK} = \frac{V_{DC}}{2}$$

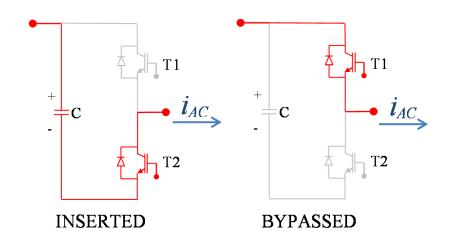
$$V_{AC\ TOP} = \frac{V_{DC}}{2} - V_{AC} \qquad V_{AC\ BTM} = \frac{V_{DC}}{2} + V_{AC}$$

$V_{AC}$	V <sub>AC TOP</sub>	V <sub>AC BTM</sub>
$+V_{DC}/2$	0	$V_{DC}$
0	$V_{DC}/2$	$V_{DC}/2$
$-V_{DC}/2$	$V_{DC}$	0

$$\sum V_C = V_{DC}$$

# Capacitor balancing: sorting method – Half-bridge cell

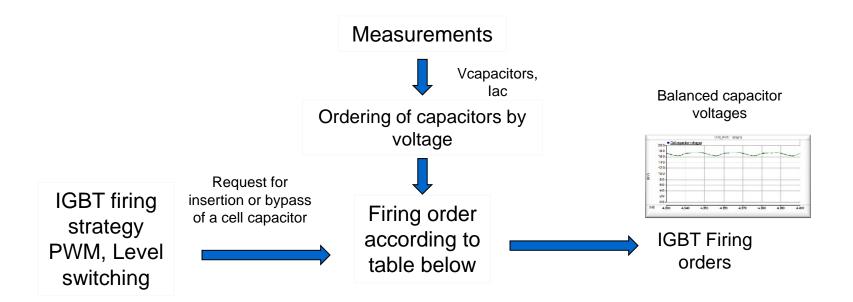




	i <sub>ac</sub> < 0	i <sub>ac</sub> > 0
Inserted cell	Discharges capacitor	Charges capacitor
Bypassed cell	Prevents discharging of capacitor	Prevents charging of capacitor

# Capacitor balancing: sorting method – Half-bridge cell

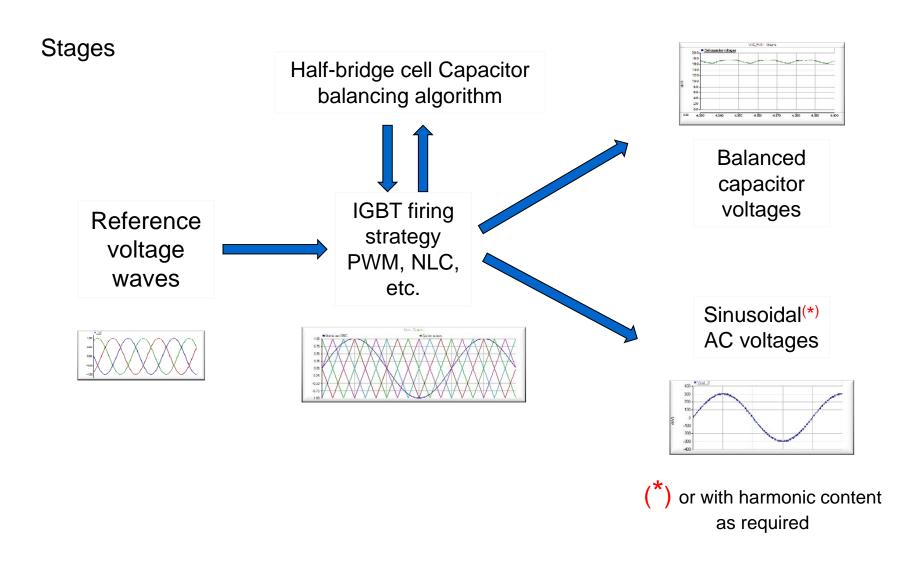




Action requested	i <sub>ac</sub> < 0	i <sub>ac</sub> > 0
Insert cell	Insert cell with highest voltage	Insert cell with lowest voltage
Bypass cell	Bypass cell with lowest voltage	Bypass cell with highest voltage

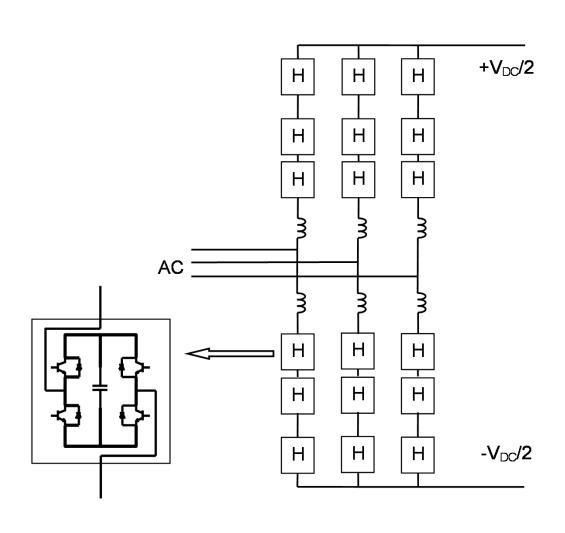
### **Low Level Controls**





# H-bridge MMC (full-bridge)



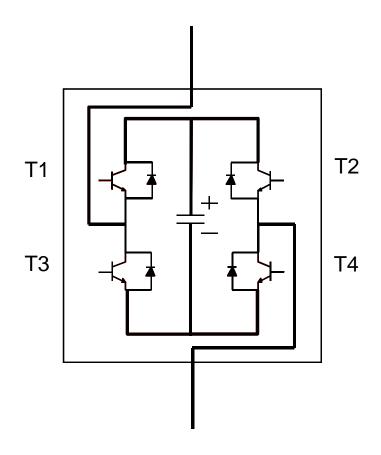


# H-bridge



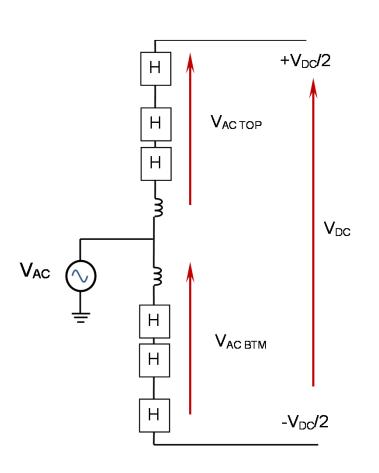
#### Four operating states

State description	Gates
Insert +Vc	(T1,T4)
Insert -Vc	(T3,T2)
Bypass capacitor	(T1,T2) or (T3,T4)
Blocked	None
Forbidden	(T1,T3) & (T2,T4)



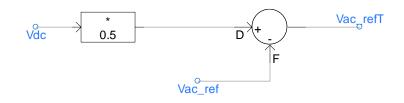
# H-bridge

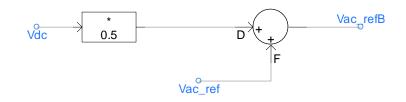




$$V_{AC\ TOP} = \frac{V_{DC}}{2} - V_{AC}$$

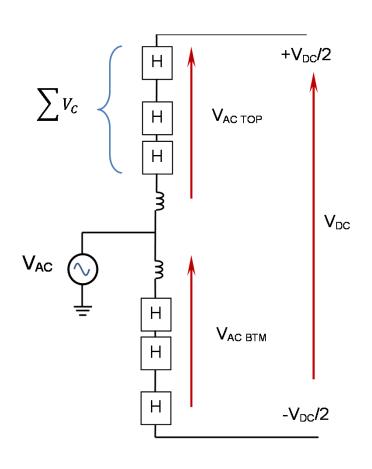
$$V_{AC\ BTM} = \frac{V_{DC}}{2} + V_{AC}$$





Note: H-bridge CAN generate  $V_{DC} = 0$ 





Assuming modulating index = 1.25

$$V_{AC\ PEAK} = 1.25 \frac{V_{DC}}{2}$$

$$V_{AC\ PEAK} = 1.25 \frac{V_{DC}}{2}$$
 $V_{AC\ TOP} = \frac{V_{DC}}{2} - V_{AC}$ 
 $V_{AC\ BTM} = \frac{V_{DC}}{2} + V_{AC}$ 

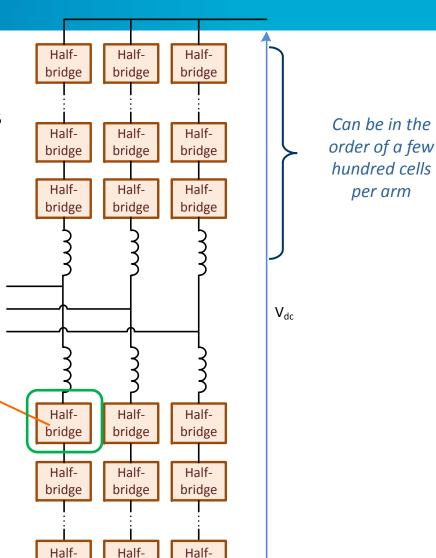
$V_{AC}$	$V_{AC\ TOP}$	V <sub>AC BTM</sub>
$+1.25V_{DC}/2$	$-0.125V_{DC}$	$1.125V_{DC}$
$+V_{DC}/2$	0	$V_{DC}$
0	$V_{DC}/2$	$V_{DC}/2$
$-V_{DC}/2$	$V_{DC}$	0
$-1.25V_{DC}/2$	$1.125V_{DC}$	$-0.125V_{DC}$

$$\sum V_C = 1.125 \times V_{DC}$$

# Modelling techniques: MMC valves



 Simulation of MMC VSCs can involve hundreds of nodes. This significantly reduces simulation speed.



bridge

bridge

bridge

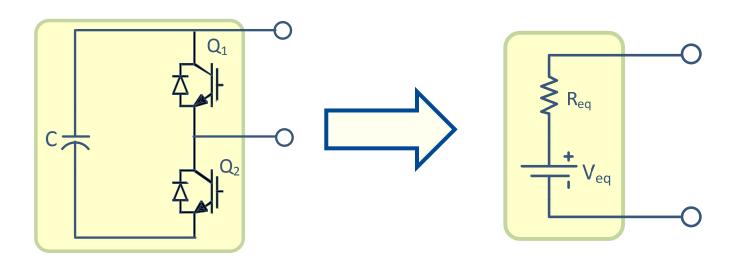
# Modelling techniques: MMC valves



 Using Thevenin equivalent: (detailed equivalent model)

$$R_{eq} = R_1 \left[ 1 - \frac{R_1}{R_1 + R_2 + R_C} \right]$$

$$V_{eq} = \frac{R_1}{R_1 + R_2 + R_C} V_C$$



U. N. Gnanarathna, A. M. Gole, and R. P.Jayasinghe, "Efficient Modeling of Modular Multilevel HVDC Converters (MMC) on Electromagnetic Transient Simulation Programs," IEEE Transactions on Power Delivery, vol.26, no.1, pp.316-324, Jan. 2011

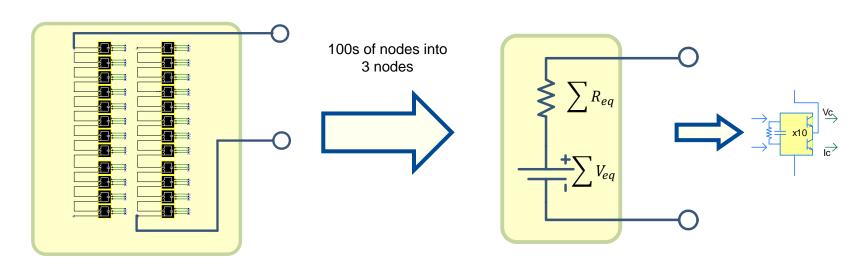
## Modelling techniques: MMC valves



 Using Thevenin equivalent: (detailed equivalent model)

$$R_{eq} = R_1 \left[ 1 - \frac{R_1}{R_1 + R_2 + R_C} \right]$$

$$V_{eq} = \frac{R_1}{R_1 + R_2 + R_C} V_C$$



- This type of model is identified in CIGRE WB B4-57 as model Type-4
- This model is good for system wide studies and for most DC fault simulations

#### **Start-up sequence**



Converter 1: Grid-connected mode  $\rightarrow$  Controls  $V_{dc}$  and Q (or  $V_{ac}$ )

Converter 2: Grid-connected mode  $\rightarrow$  Controls P and Q (or  $V_{ac}$ ) – in black start mode

#### Converter 1

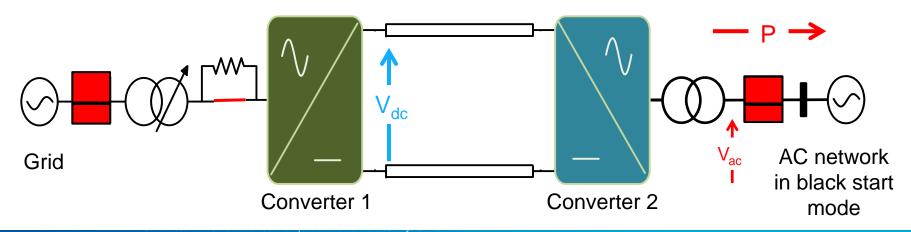
- Energize transformer & Precharge
- Bypass pre-insertion resistor
- Deblock converter 1
- Regulate V<sub>dc</sub>



#### **Converter 2**

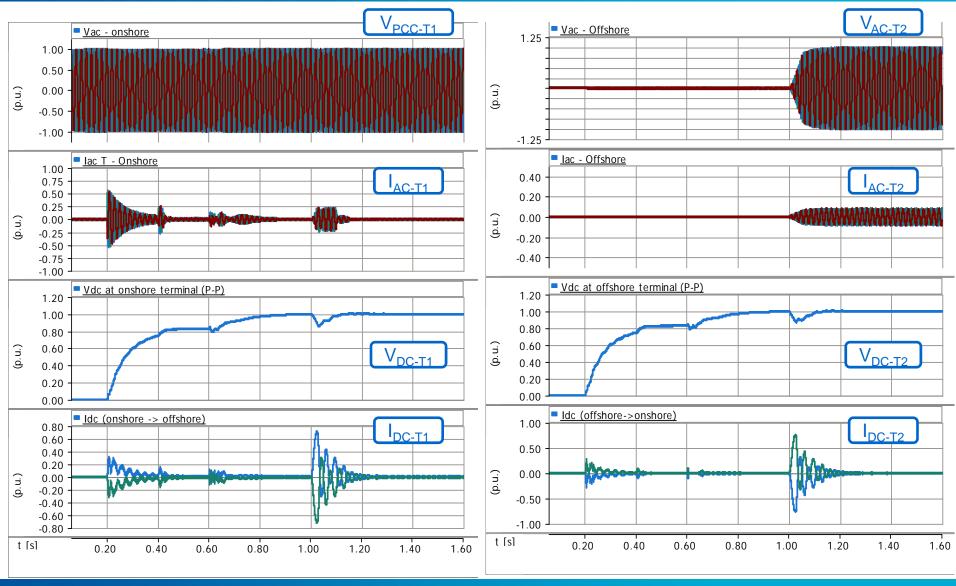
After V<sub>dc</sub> is regulated:

- Deblock converter 2
- Regulate V<sub>ac</sub>
- Ramp-up power transfer



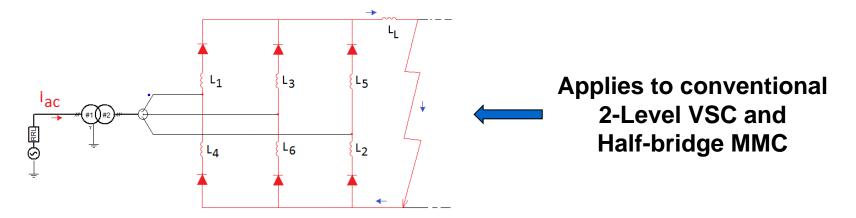
### **Start-up sequence**







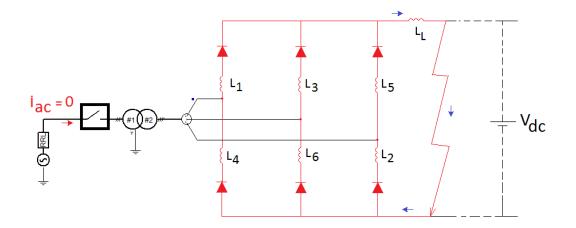
Sustained DC faults (unlike LCC)



- Most systems (except one) use cables:
  - No need for fast re-energization
  - Cables experience low occurrence of faults
  - Fault clearing by opening AC breaker



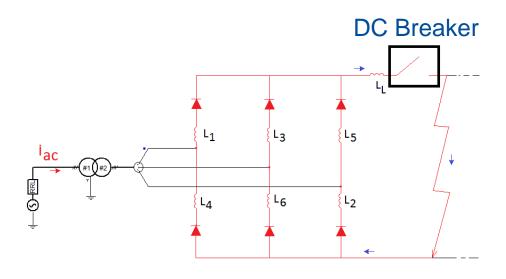
- Most systems use cables:
  - No need for fast re-energization
  - Cables experience low occurrence of faults
  - Fault clearing by opening AC breaker





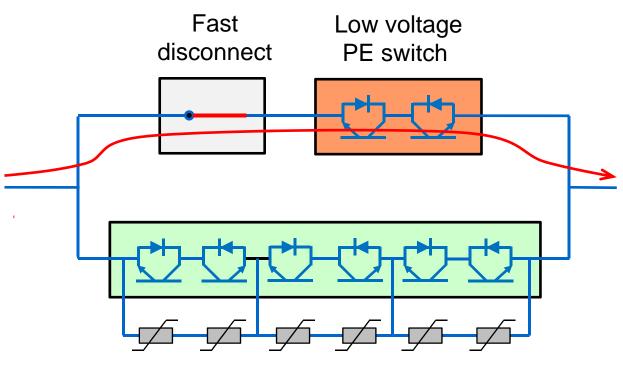
## DC faults in VSC systems with Overhead Lines (OHL)

- High fault event frequency with OHL
- Need fast re-energization (re-closing) (400-500 ms) to prevent
   AC system movement
- DC breakers are required in order to achieve fast reenergization of DC system





#### **DC-Breakers**

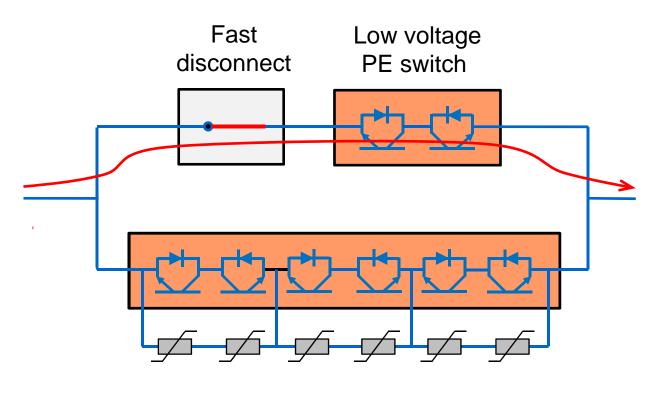


 Overcurrent or DC fault under voltage front detected

High voltage PE switch



#### **DC-Breakers**

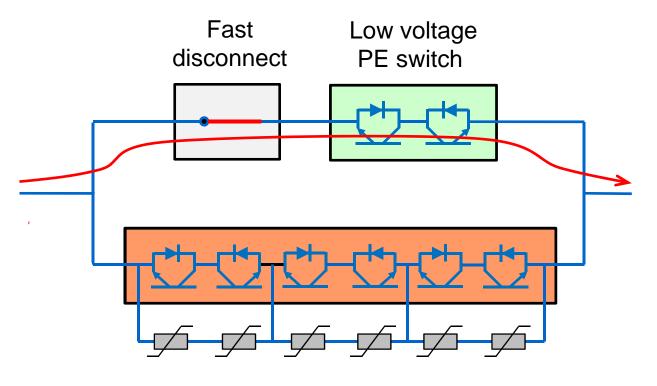


- Overcurrent or DC fault under voltage front detected
- 2. De-block HV PE switch

High voltage PE switch



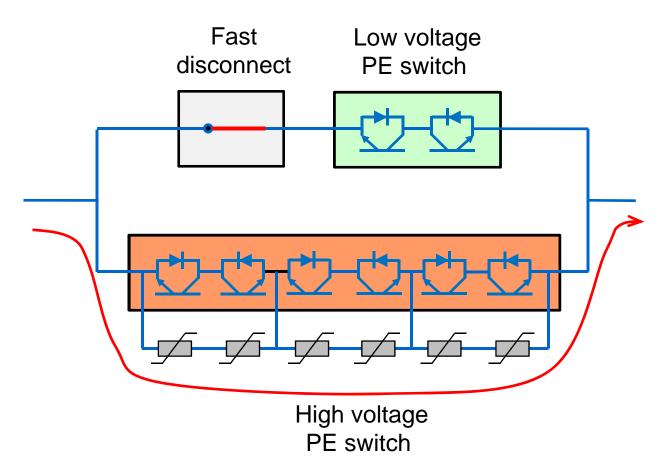
#### **DC-Breakers**



- Overcurrent or DC fault under voltage front detected
- 2. De-block HV PE switch
- 3. Open LV PE switch

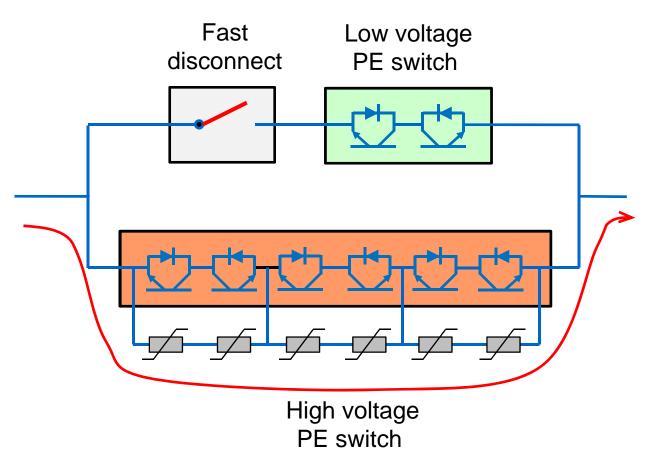
High voltage PE switch





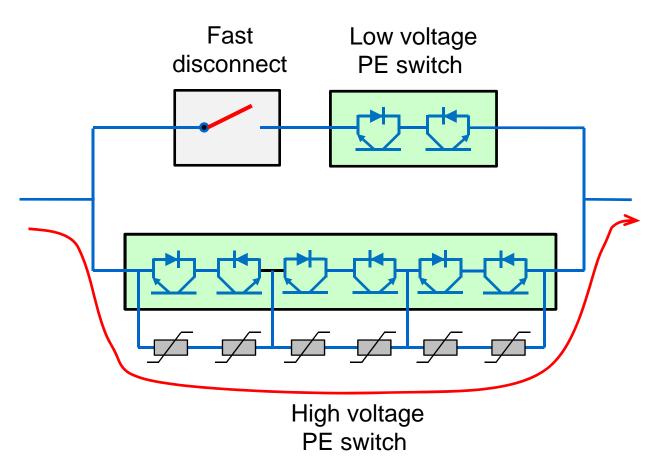
- Overcurrent or DC fault under voltage front detected
- 2. De-block HV PE switch
- 3. Open LV PE switch
- Current transferred to HV PE switch





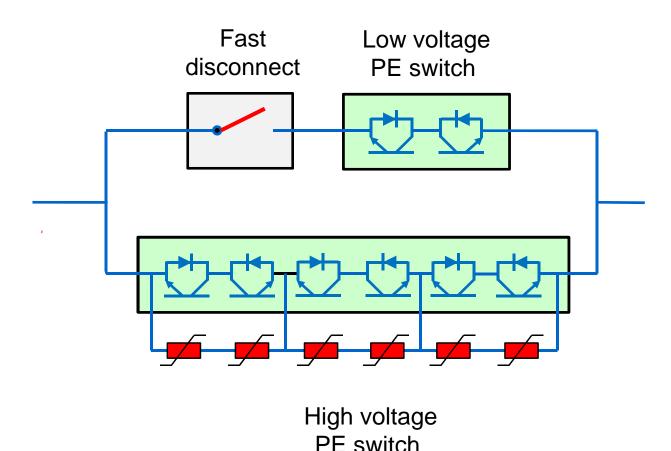
- Overcurrent or DC fault under voltage front detected
- 2. De-block HV PE switch
- 3. Open LV PE switch
- Current transferred to HV PE switch
- 5. Open fast disconnect





- Overcurrent or DC fault under voltage front detected
- 2. De-block HV PE switch
- 3. Open LV PE switch
- Current transferred to HV PE switch
- 5. Open fast disconnect
- 6. Open HV PE switch

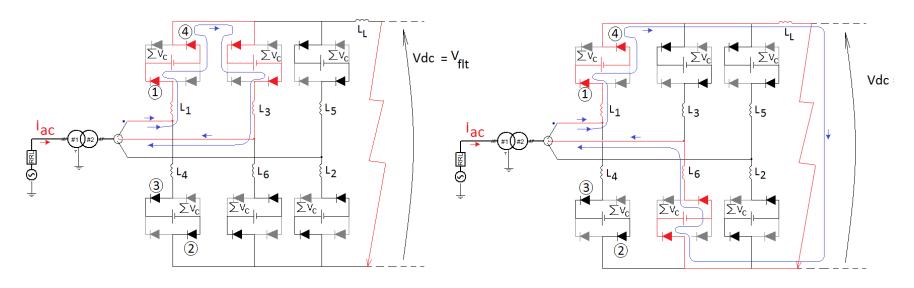




- Overcurrent or DC fault under voltage front detected
- 2. De-block HV PE switch
- 3. Open LV PE switch
- Current transferred to HV PE switch
- 5. Open fast disconnect
- 6. Open HV PE switch
- DC current extinguished & energy dissipated in arresters

## Fault clearance in H-bridge VSC systems (by blocking)





$$|i_{AC}|$$
 
$$\begin{cases} > 0 & if \ v_{AC \ l-l} \ge 2 \sum_{i} k_i v_C \\ = 0 & otherwise \end{cases}$$

Therefore lac=0 after blocking since

$$V_{AC_{L-L\,pk}} = m\,\sqrt{3}\,V_{dc}$$

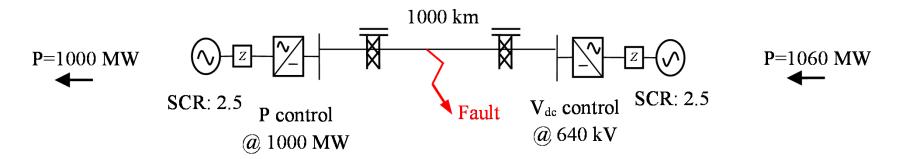
$$\sum_{c} v_{c} = V_{dc}$$

$$m\sqrt{3}\,V_{dc} \ge 2V_{dc}$$

## Simulation of DC faults in a two-terminal system



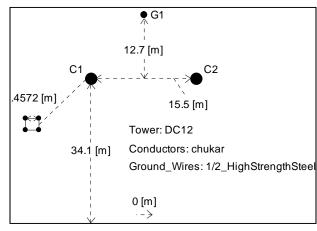
#### **System description**



T1: P control

T2: Vdc control

T1 & T2 in Vac control

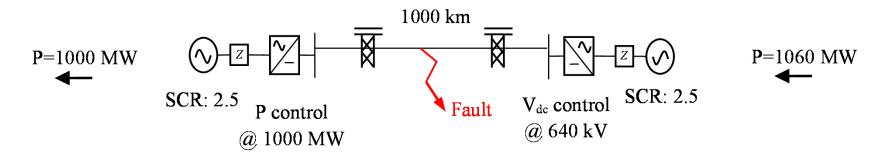


TL Freq. dependent model

## Simulation of DC faults in a two-terminal system



#### DC Faults applied



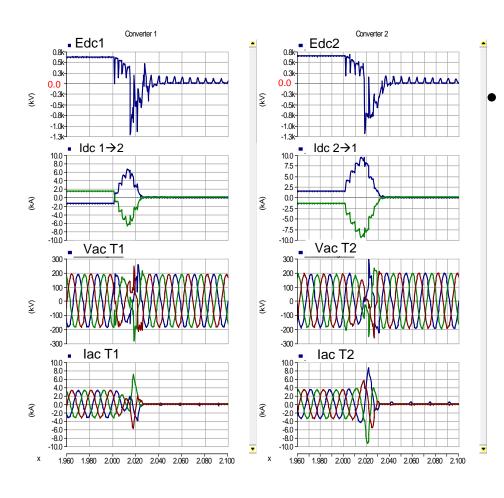
- At close and remote terminals
- Middle of the line
- Low impedance faults (0.1 ohm)

#### DC Faults detection

- Valve overcurrent (2.7 kA level)
- DC voltage drop (40% of diode rectifier voltage

## Simulation of DC faults in a two-terminal system





- The total time to restore 90% power was 450ms
  - Including 200 ms de-ionization time



# Three-terminal system: Demonstration setup



- Starting with the two-terminal system from CIGRE B4-57
- If time allows

#### **Questions**



Please e-mail PSCAD Support at

support@pscad.com